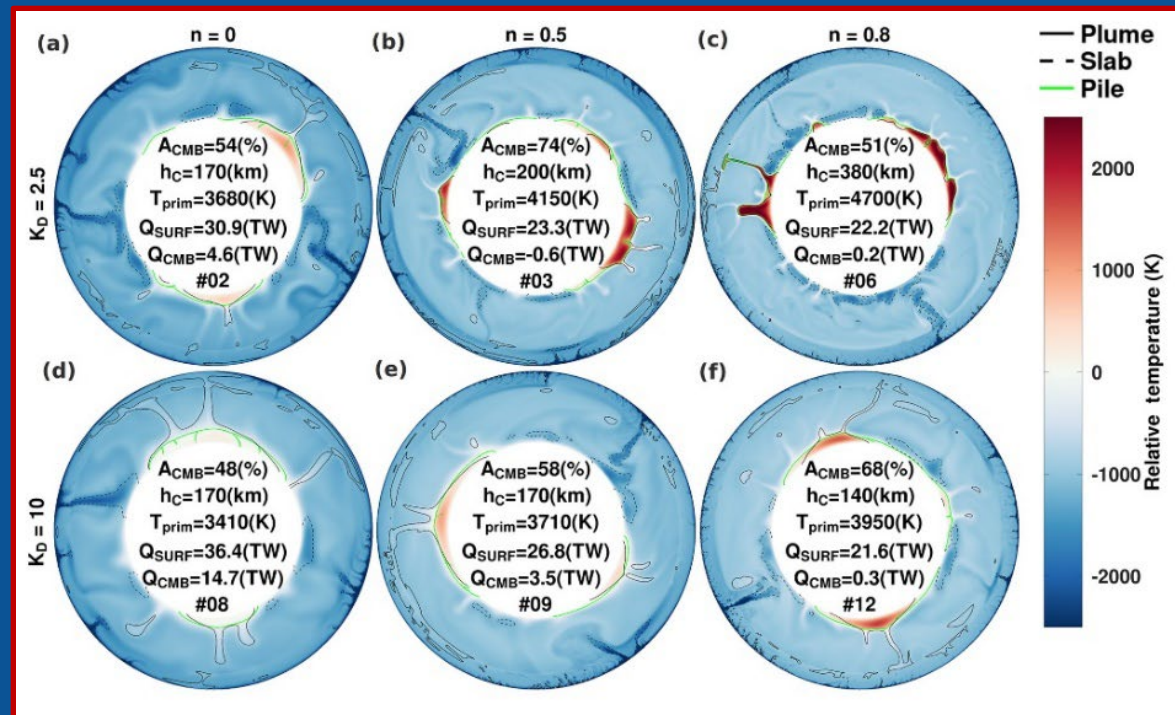


CMB heat flux: local negative patches and hints from seismic tomography

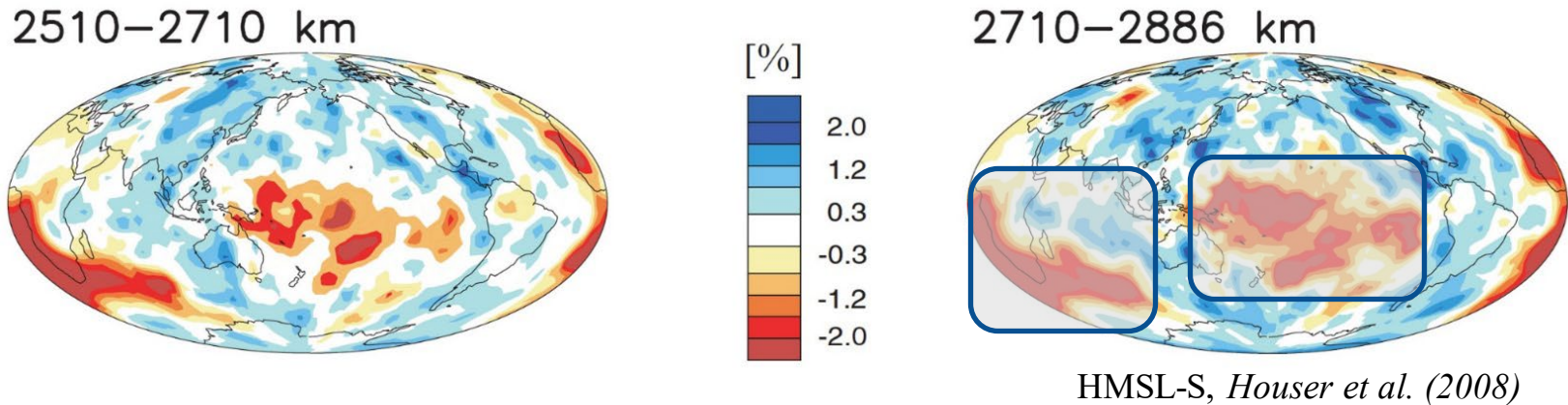
Frédéric Deschamps, Joshua Guerrero,
Sheng-An Shih, Hagay Amit, Gaël Choblet



Motivations

- ▶ Heat flux at core-mantle boundary (CMB), $\Phi_{\text{CMB}} = kdT/dr$, and its variations (spatial and temporal) impact **core dynamics**.
- ▶ **Seismic tomography**: strong variations in shear wave velocity at the bottom of the mantle, suggesting **lateral changes** in chemistry and temperature, and thus in **heat flux**.

LLSVPs : hotter and chemically differentiated regions beneath Africa and the Pacific.



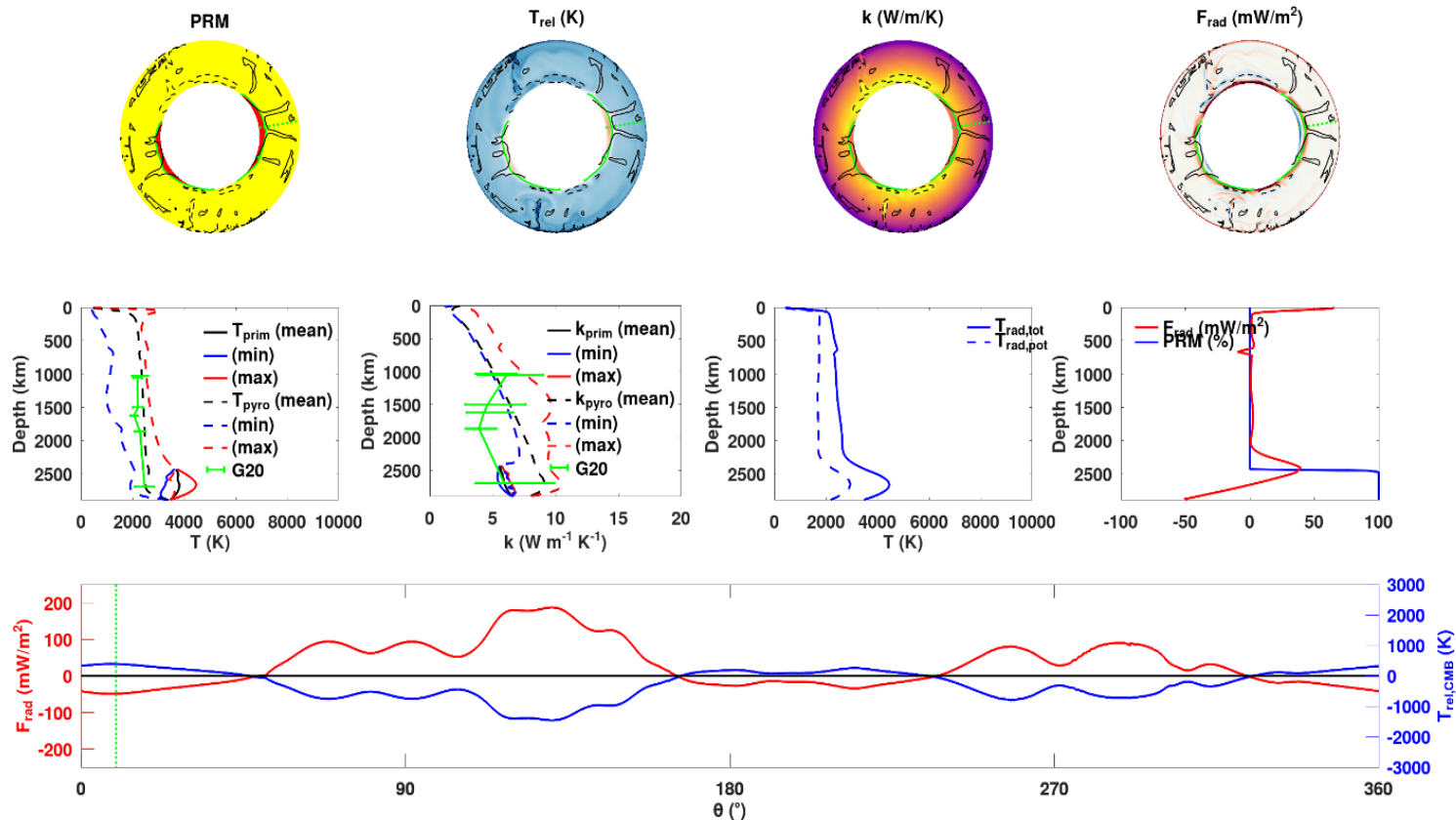
- ▶ No direct measurements of CMB heat flux. Need to access temperature gradient and its spatial variations.
- ▶ Temperature changes may be inferred from seismic tomography, but seismic velocity anomalies are unlikely purely thermal in origin.

Constraints from simulations of mantle convection

- ▶ **Model** CMB heat flux with simulations of thermo-chemical convection.
 - Amplitude in heat flux variations.
 - Heat flux beneath piles of dense material (modeling LLSVPs).
 - Spatial and temporal variations depending on input parameters (e.g., temperature-dependent thermal conductivity, excess heating in piles).
- ▶ **Mapping** CMB heat flux from thermo-chemical structure deduced from simulations of mantle convection.
 - Simulations of convection predict temperature, phase (post-perovskite), and compositional fields.
 - Calculate synthetic velocity anomalies ($d\ln V_S$) and heat flux (Q_{CMB}) from these fields.
 - Infer relationship between synthetic $d\ln V_S$ and Q_{CMB} .

Spatial and temporal variations

- Patches of **negative heat flux** may locally appear within **piles of dense material** located at the bottom of (Guerrero et al., *Solid Earth*, 2023).



- Here, we investigate the **conditions needed** for generating such patches of negative heat flux, using simulations of thermo-chemical convection with StagYY.

Modeling and setup

- Simulation of thermo-chemical convection with StagYY (Tackley, 2014):
 - **Spherical annulus** geometry with core/total radii ratio $f = 0.55$.
 - Grid resolution : 2048×256 points, with refinement at top and bottom.
 - Composition : volume **fraction of dense material** is set to $x_{\text{prim}} = 4.0 \%$ and buoyancy ratio to $B = 0.23$ (corresponding to density excess $\sim 140 \text{ kg/m}^3$). Dense material, is initially distributed in a basal layer.
 - **Viscosity** depends on temperature, pressure (with an additional viscosity ratio $\Delta\eta = 30$ at 660 km) and composition. Yield stress (σ_Y) is imposed to avoid formation of a stagnant lid :

$$\eta = \frac{\eta_b \eta_Y}{(\eta_b + \eta_Y)} \quad \text{with} \quad \text{and} \quad \eta_b(z, T, C) = \eta_0 [1 + 29H(z - 660)] \exp \left[V_a \frac{z}{D} + E_a \frac{\Delta T_s}{(T + T_{\text{off}})} + K_a C \right]$$

with $E_a = 16.118$ (corresponding to viscosity ratio of 10^7) from top to surface temperature, $V_a = 2.303$ (top-to-bottom viscosity ratio of 10), and $K_a = 30$ (dense material is 30 times more viscous than regular material).

- Internal heating rate R_H : **dense material** is assumed to have **excess heating** compared to regular material, controlled with ratio dH_{prim} . R_H is then given by :

$$R_H = \frac{H_{\text{mantle}}}{[1 + x_{\text{prim}}(dH_{\text{prim}} - 1)]}$$

In practice, R_H is chosen such that the total heating, H_{mantle} , is equal to 11 TW, consistent with Earth energy budget estimates (Jaupart et al., 2015) and corresponding to a heat flux of 21.6 mW/m^2 at the surface.

Modeling thermal conductivity

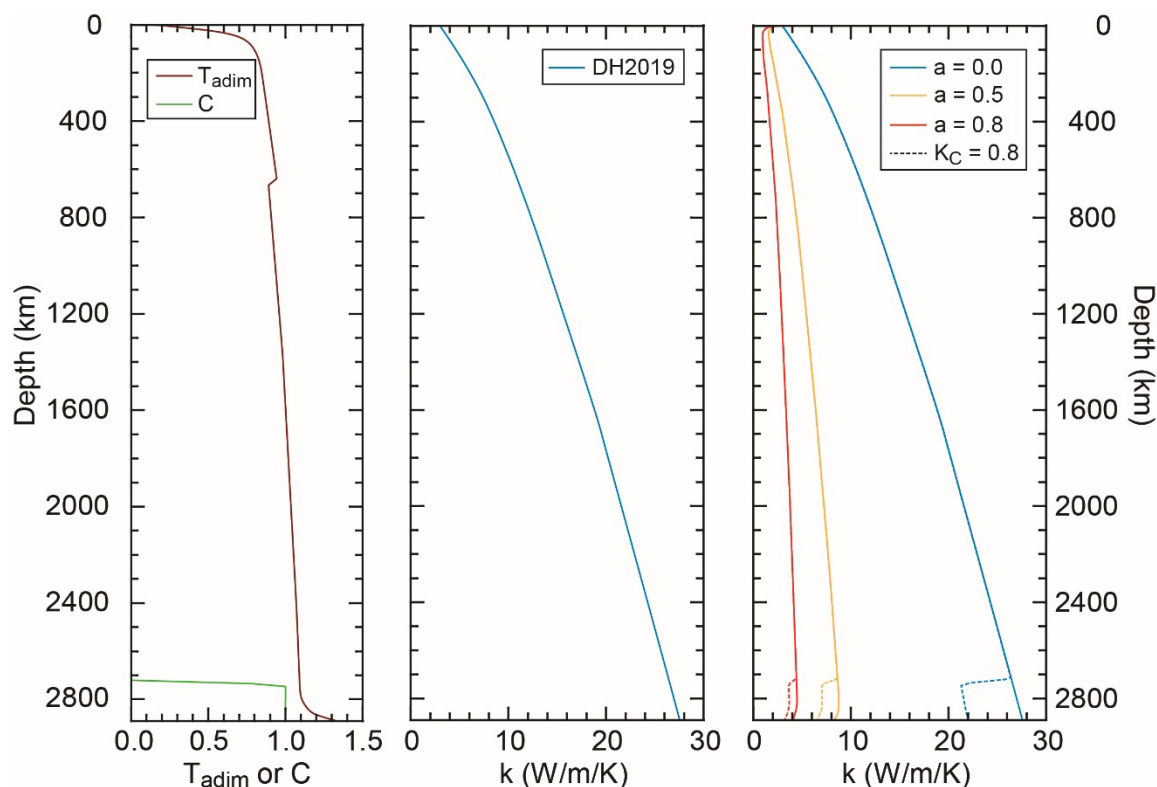
- Thermal conductivity depends on depth (pressure), temperature and composition as in Guerrero et al., *Solid Earth* (2023) and *EPSL* (2024):

- Depth** dependence : follows mineral physics data for olivine (UM ; Chang et al., 2017) and bridgmanite and ferro-periclase (LM ; Hsieh et al., 2017, 2018). This is equivalent to an intrinsic top-to-bottom increase of ~ 27 (at 300 K and excluding adiabatic effect), and ~ 9 along a 2000 K adiabat.

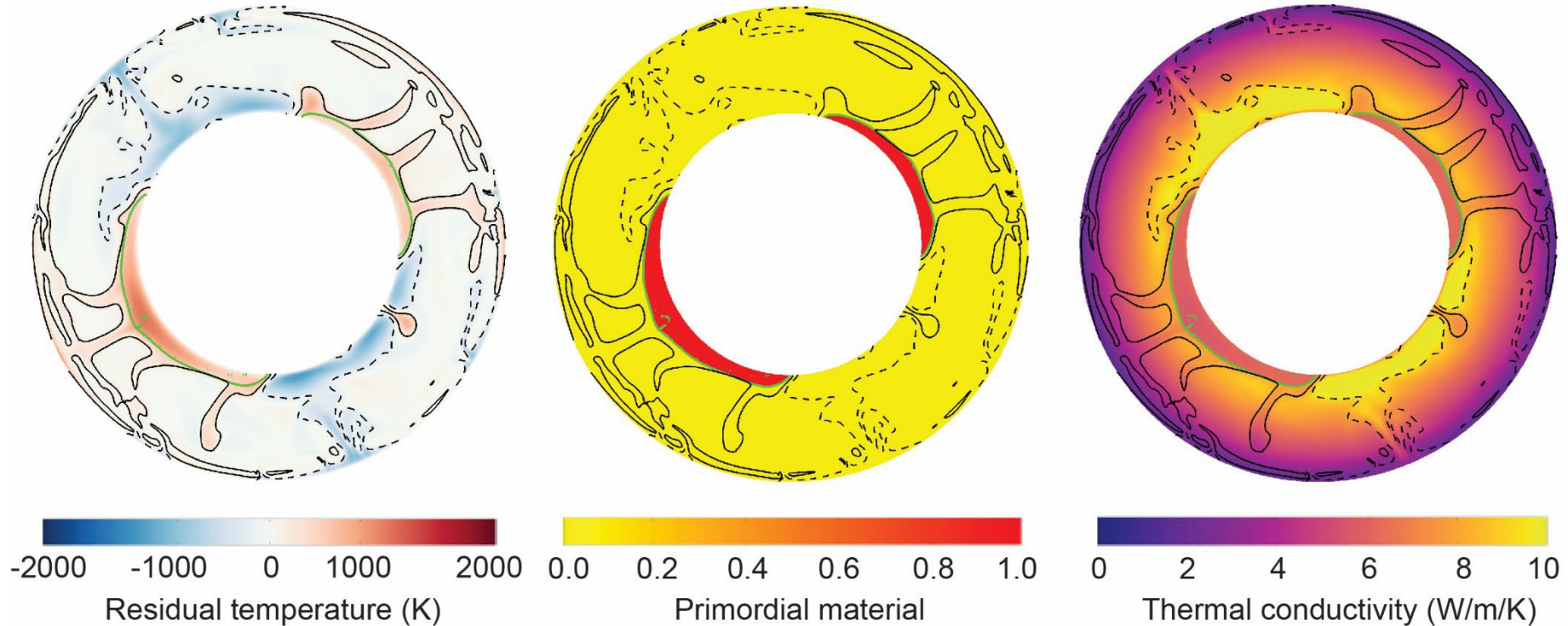
- Temperature** dependence : conductivity decreases with increasing temperature as $1/T^a$. We explored values of a in the range $0.0 < a < 1.0$.

For lower mantle minerals, experimental data suggest a in the range 0.2-0.4.

- Compositional** dependence : **dense material conductivity** is assumed to be **20 % lower** than regular material conductivity. This accounts for the presence of material enriched in iron by ~ 4 % in LLSVPs (Deschamps and Hsieh, GJI, 2019).



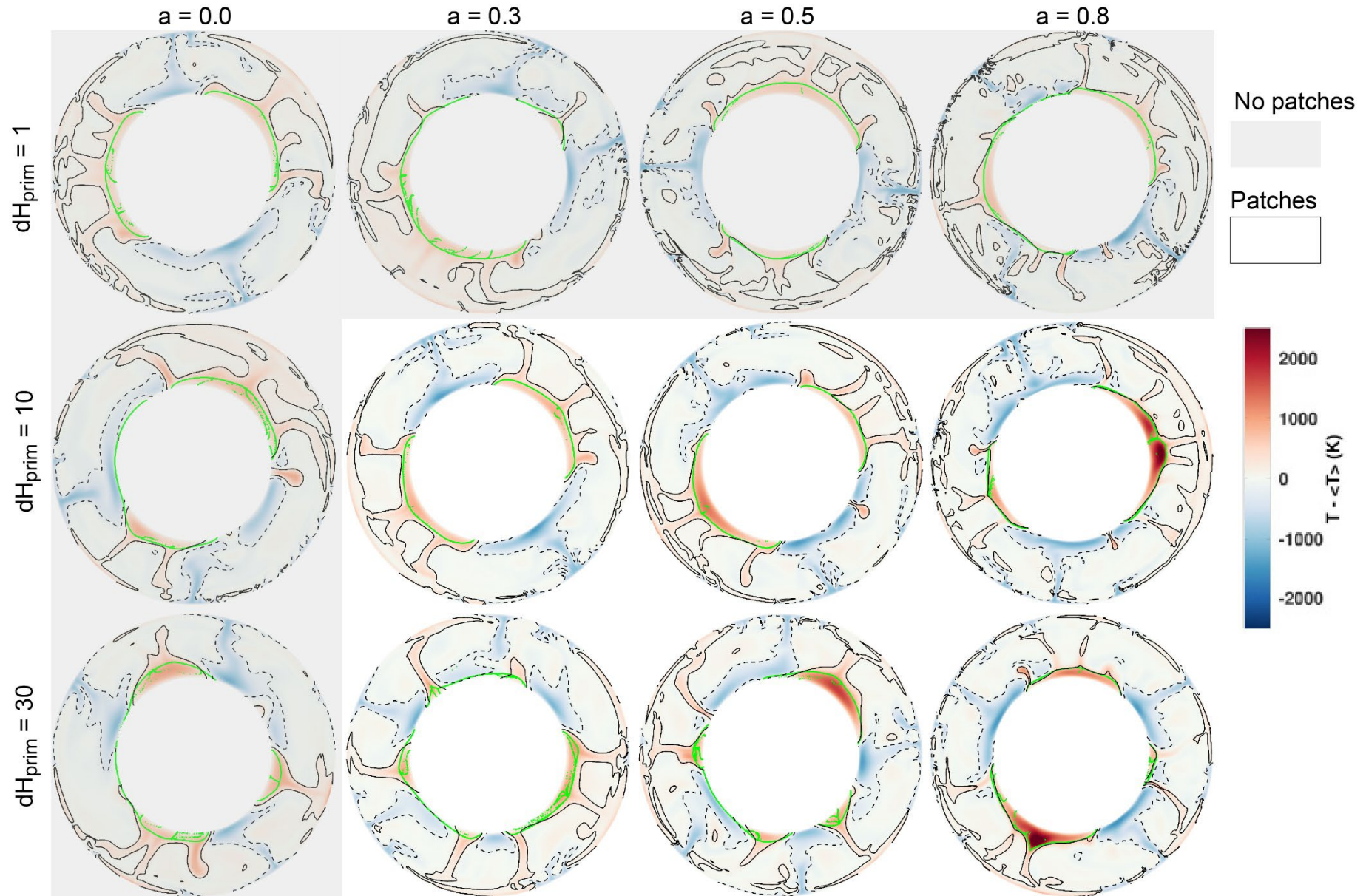
Simulations of thermo-chemical convection



$$R_H = 10 ; k \sim 1/T^{0.5}$$

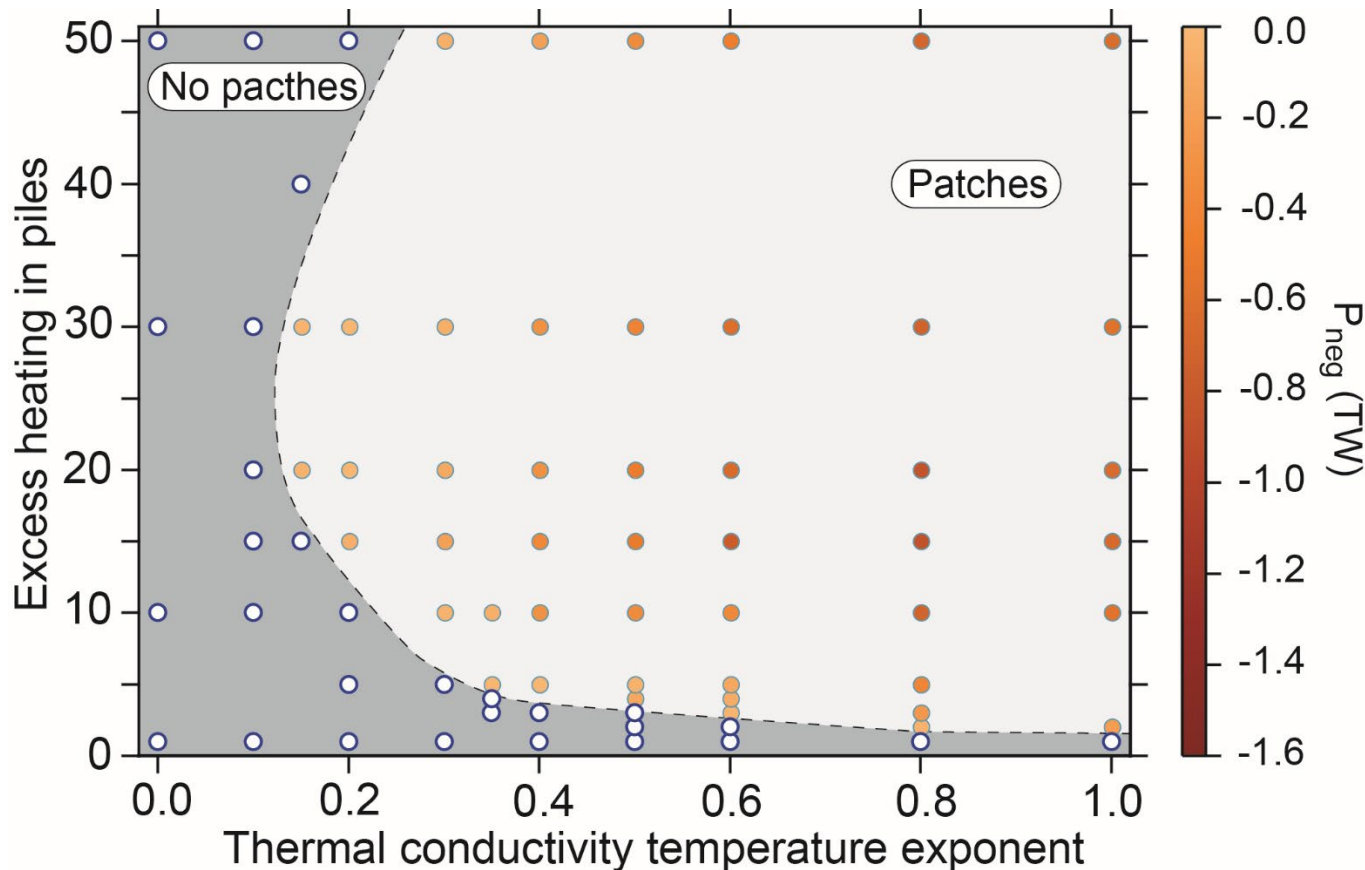
- Formation of **hot piles of dense material** at the CMB.
- **Plumes** are being generated at the top of these piles.
- Piles are thermally **less conductive** than surrounding mantle.

Varying a and dH_{prim} : temperature fields



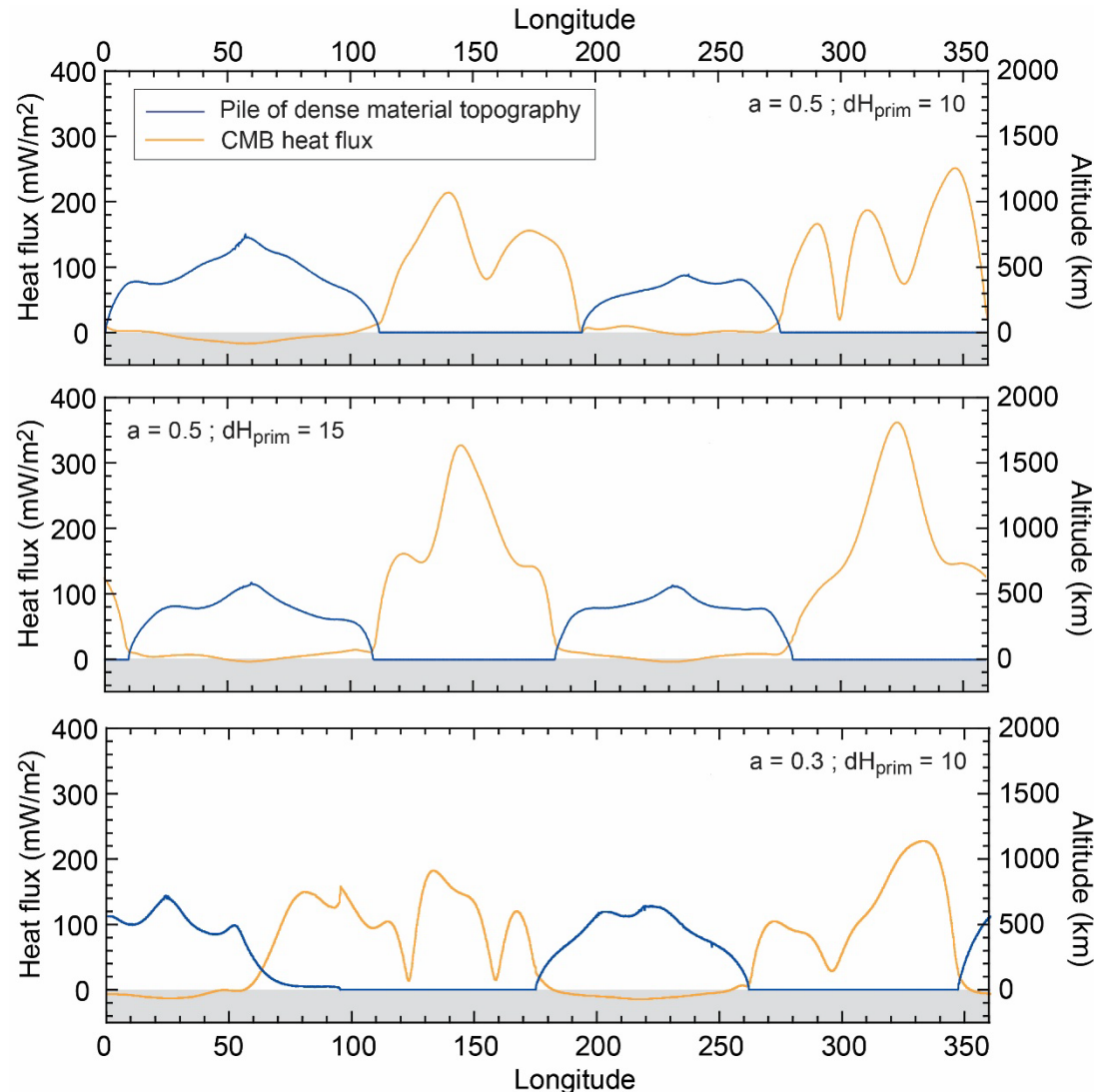
Conditions for generating patches of negative heat flux

- Negative heat flux patches appear for temperature exponent $a > 0.1$ and excess heating $dH_{\text{prim}} \geq 2$.
- Threshold value of dH_{prim} increases with decreasing temperature-dependence (lower a).
- For weak temperature dependence (low a), patches disappear again at high dH_{prim} .



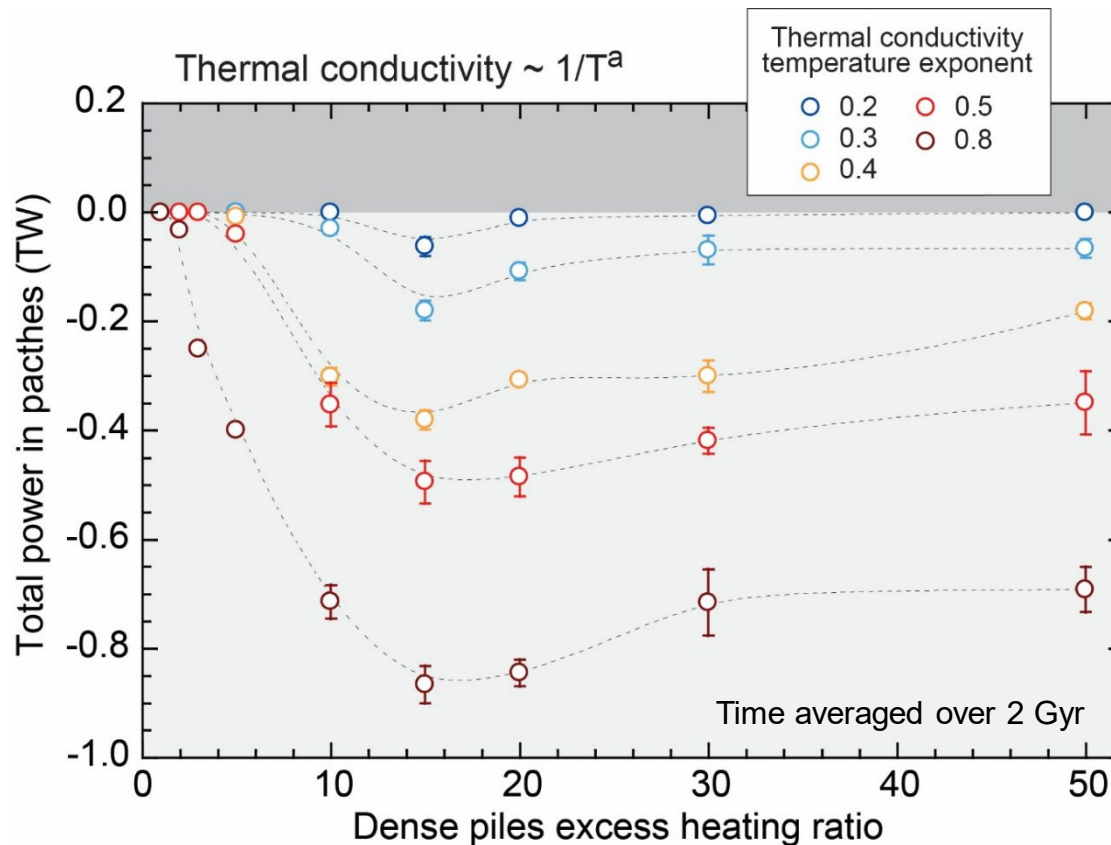
CMB heat flux variations and piles topography

- Patches of **negative heat flux** appear **well within piles interiors** (not at their edges), where topography is highest.



Power flowing to the core

- The power flowing to the core increases with a . It also increases with excess heating but only up to some given value of the ($dH_{\text{prim}} \sim 15$), and then starts decreasing again.

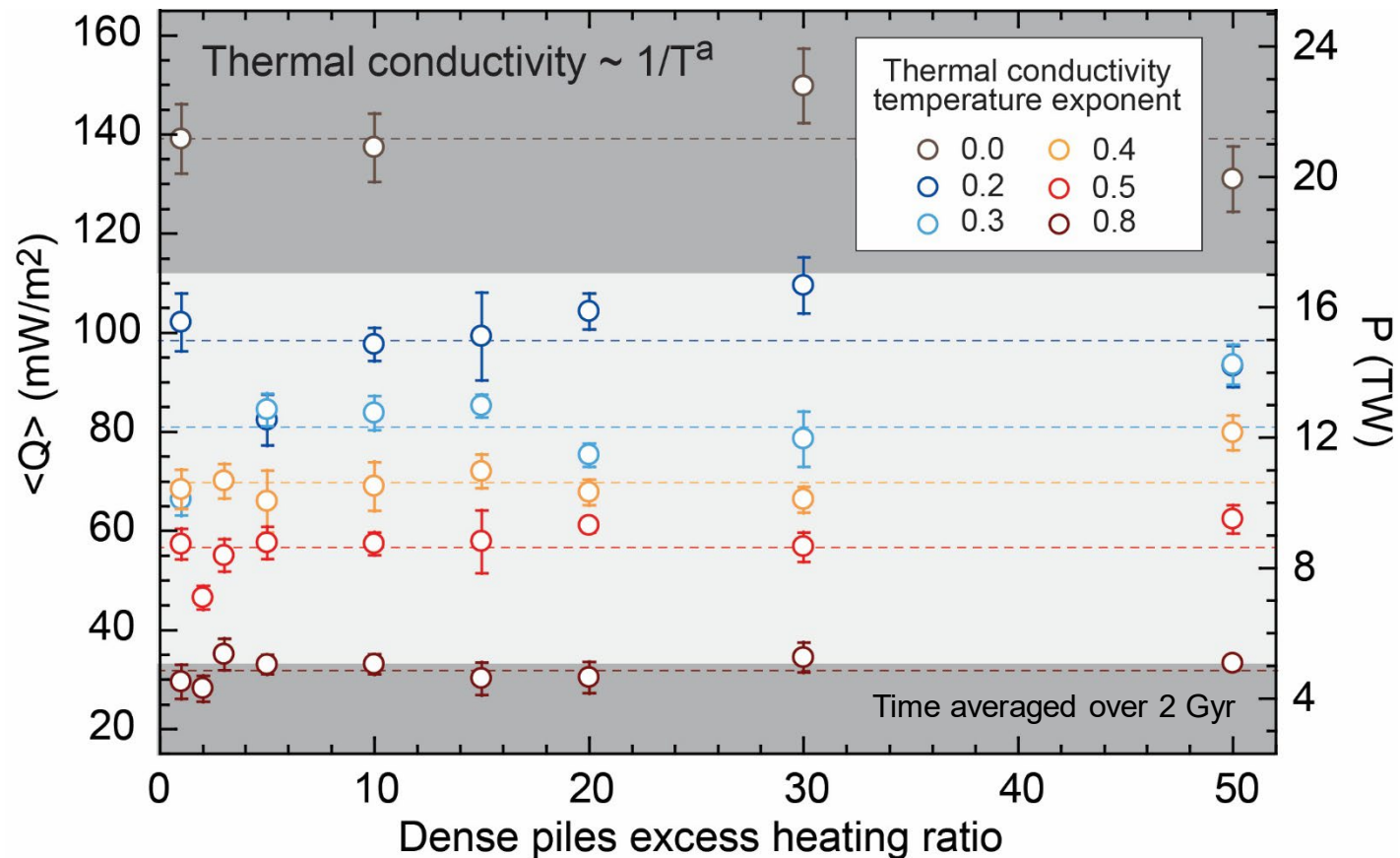


- Piles temperature increases with excess heating, but heating rate elsewhere in the mantle decreases.

As a result, plumes generated at the top of piles are stronger and extract more heat from piles.

Average CMB heat flux

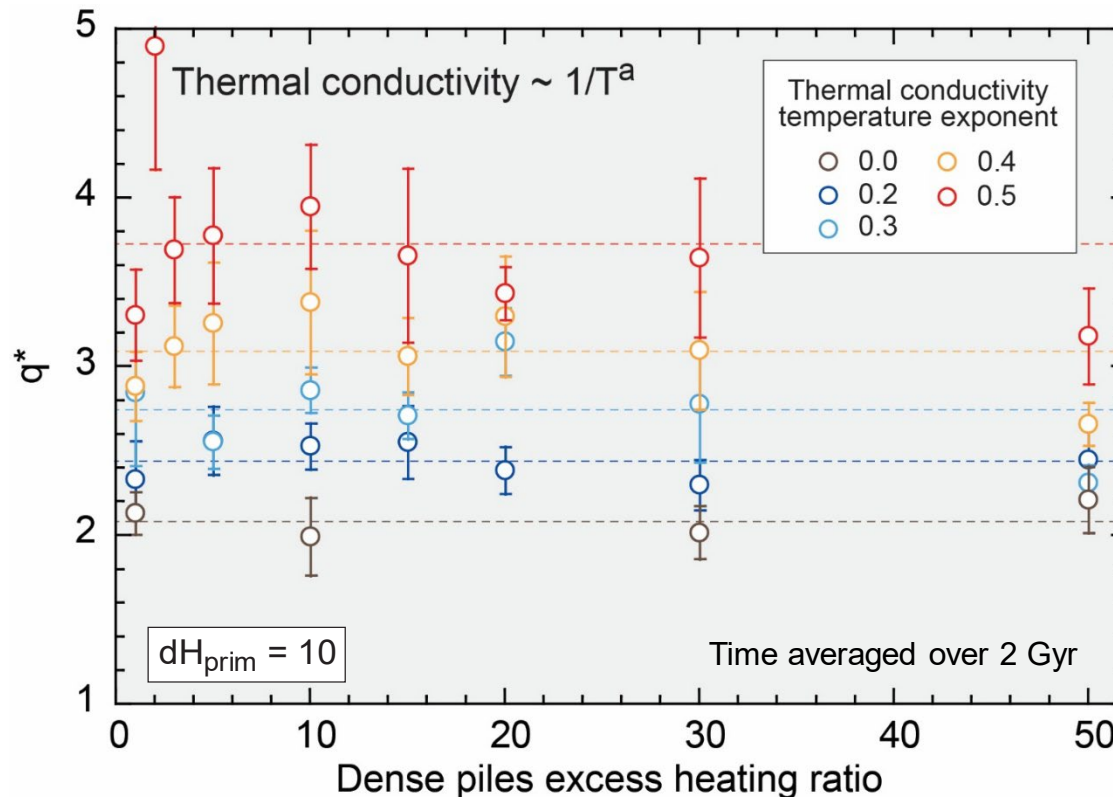
- Average CMB heat flux ($\langle Q \rangle$) decreases with increasing temperature-dependence of conductivity (increasing a), and overall independent of excess heating in piles.
- For $0.2 < a < 0.8$, $\langle Q \rangle$ is consistent with estimated CMB total power (5-17 TW).



Consequence for core dynamics and evolution : q^*

- Heat flux heterogeneity $q^* = \frac{(Q_{max} - Q_{min})}{2(Q_{avg} - Q_{adia}^{core})}$ Q_{adia}^{core} is set to 24 mW/m², assuming $k_{core} = 40$ W/m/K and $(dT/dz)_{adia} = 0.6$ K/km

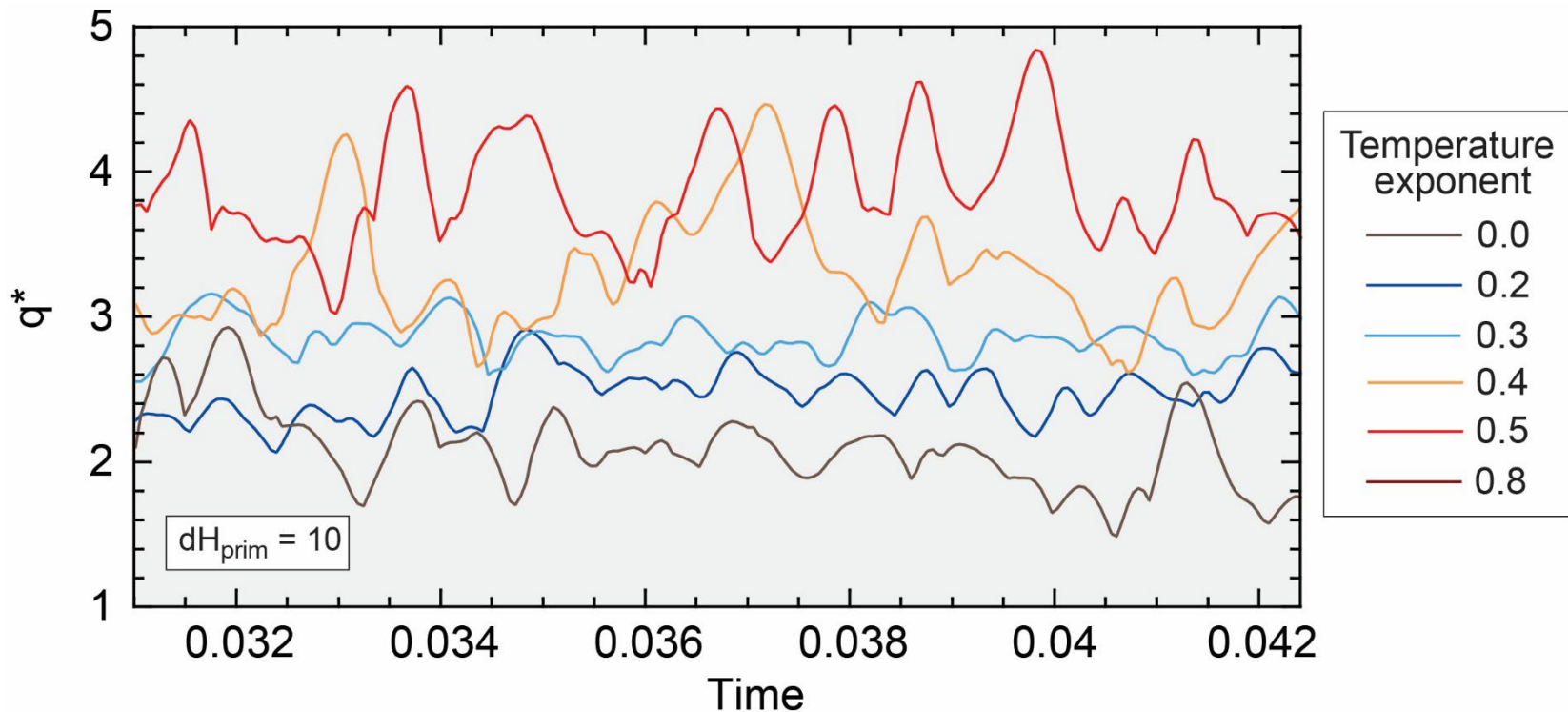
Higher q^* favor magnetic field polarity reversals (e.g., Terra-Nova and Amit, 2024).



- Time-averaged q^* increases with temperature dependence of conductivity (increasing a) : stronger temperature-dependence should promote magnetic reversals.

Time variations in q^*

- **Time variability** of q^* is important (> 0.5) and larger for higher temperature-dependence of conductivity (> 1 for $a = 0.5$).



- May explain geomagnetic **superchrones** (low q^* periods) and **hyper-frequency** reversals (high q^* periods).

Patches of negative CMB heat flux

► Appearance:

- Need **temperature-dependent** thermal conductivity.
- Need **excess internal heating** in piles of dense material.

► Location:

- Appear in **piles interior**, not at their edges.
- Good correlation with **piles' height**.

► Strength:

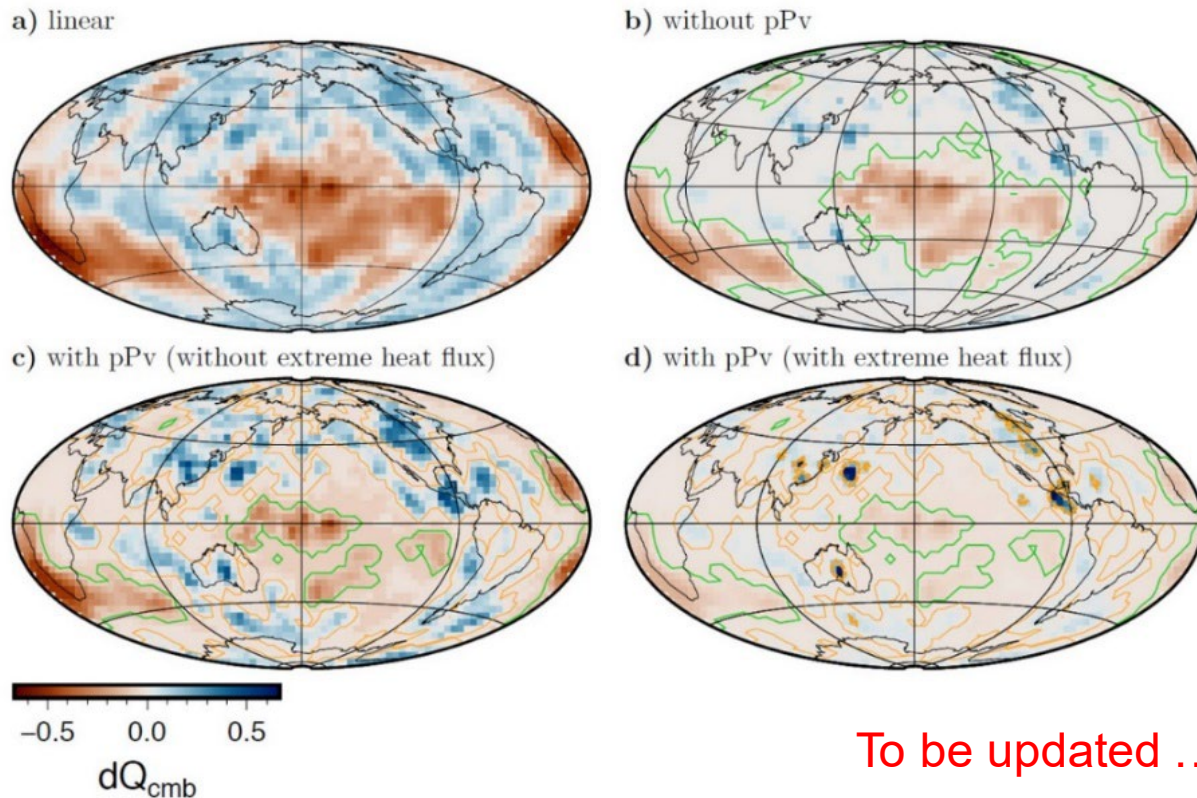
- Total power in patches (flowing to the core) increases with **sensitivity** of conductivity to **temperature**.
- Total power reaches a **maximum value** for some value of excess heating.

► Consequence for core dynamics:

- q^* value and temporal variability **increase** with **sensitivity of conductivity to temperature**.
- May play a role in the frequency of magnetic field polarity reversals.

Mapped CMB heat flux

- Mappings can be applied to available seismic tomography (e.g., Houser et al., 2008) to recover Earth's CMB heat flux.

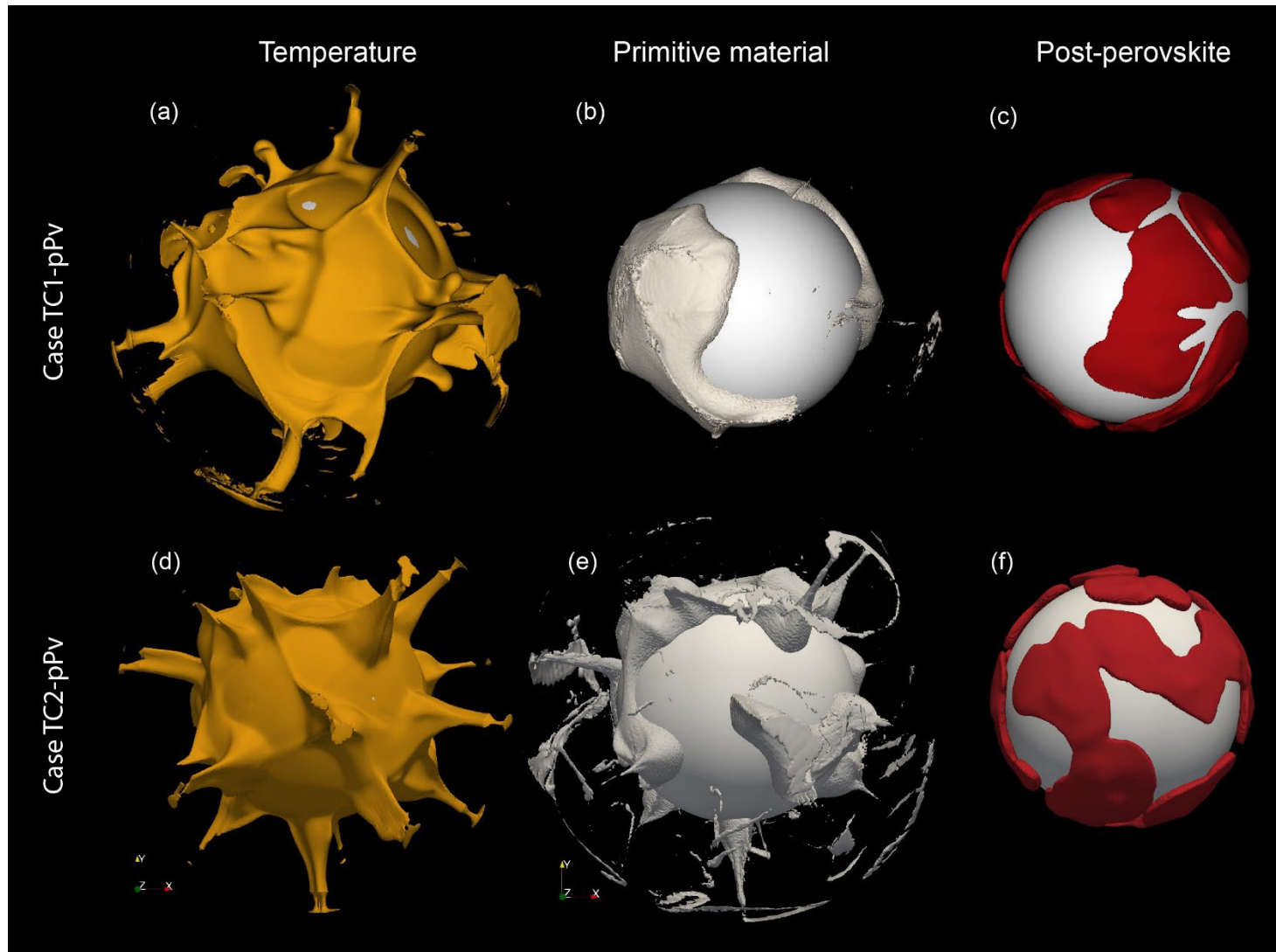


To be updated ...

- Low heat flux anomalies beneath LLSVPs are attenuated, while large heat flux patches are enhanced.
- The presence of pPv further attenuates the low heat flux anomalies within LLSVPs

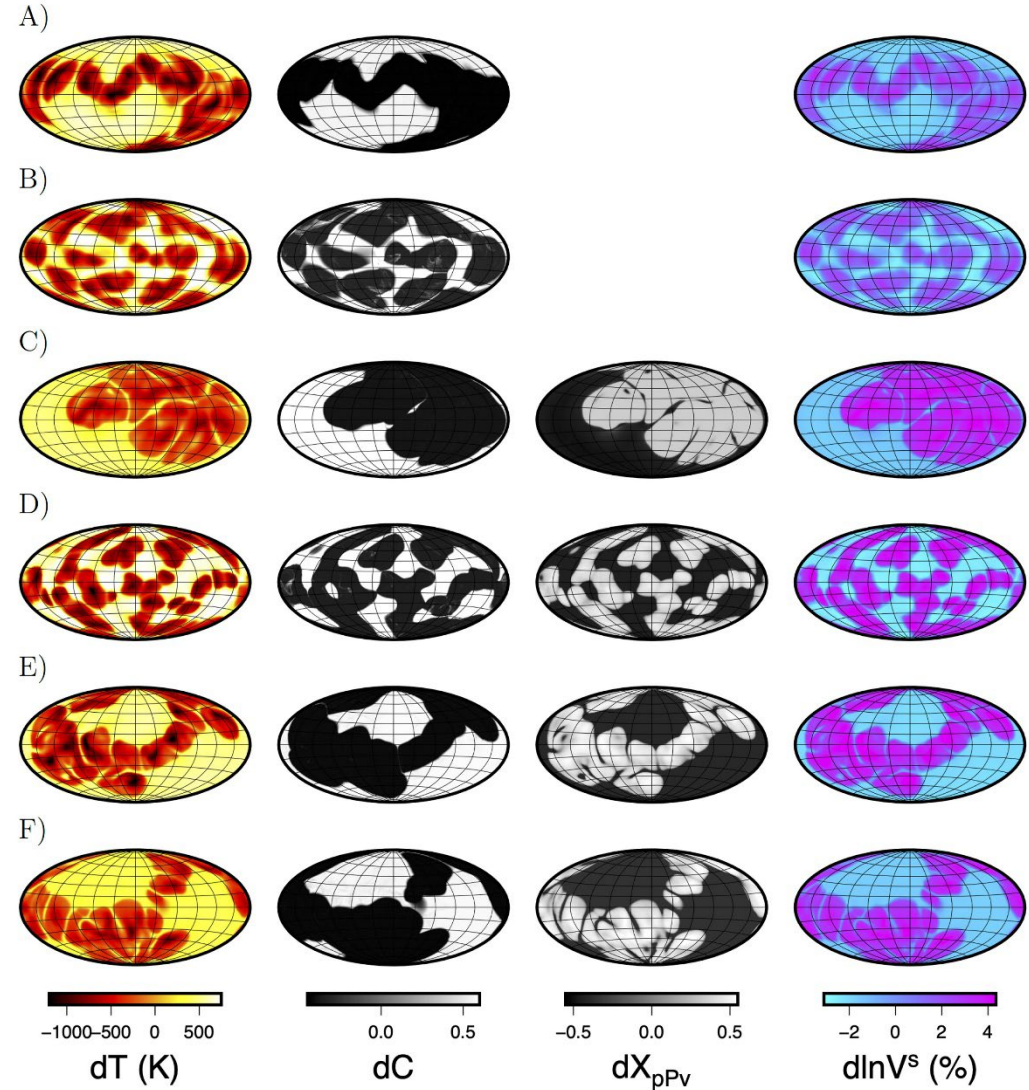
Dans les épisodes précédents ...

Simulations of thermo-chemical convection



Mapping CMB heat flux from seismic velocities

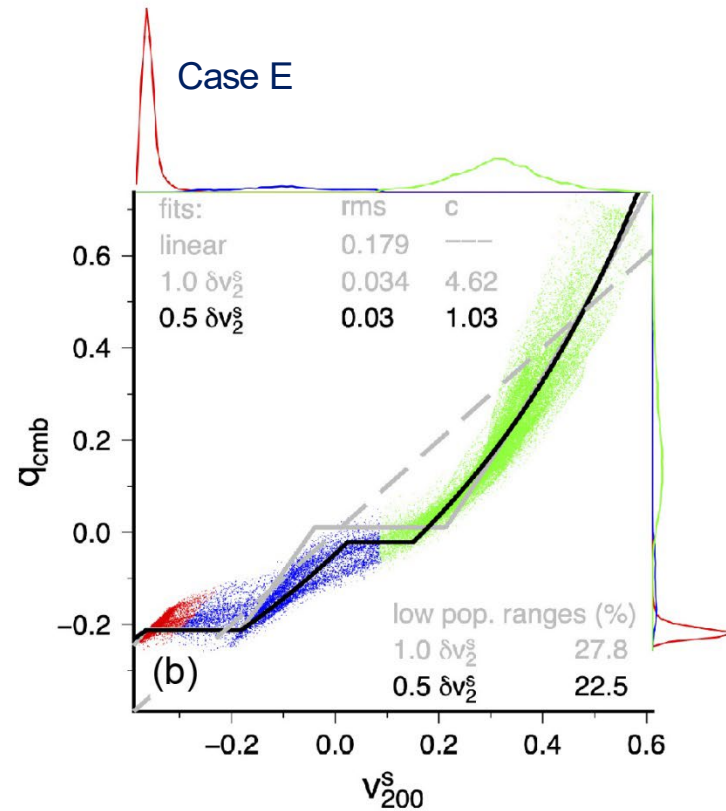
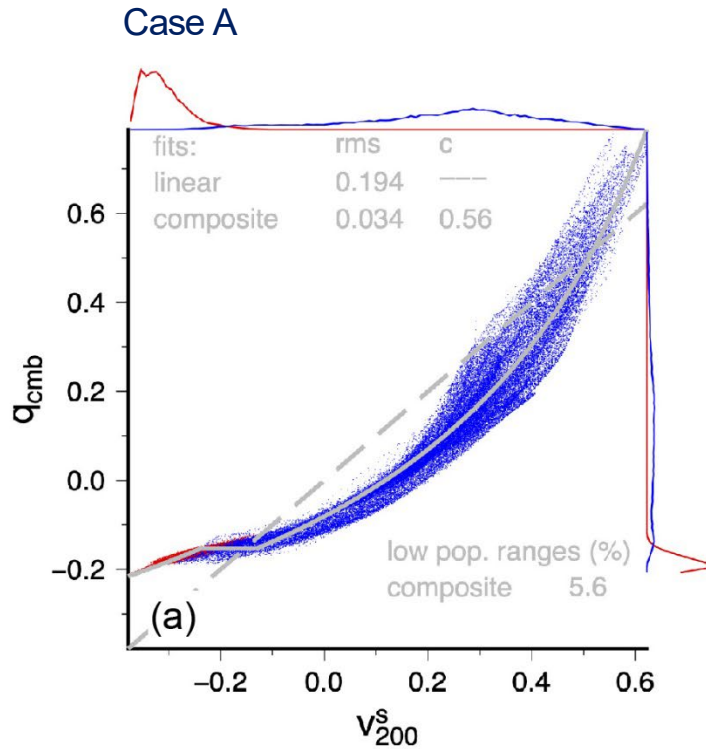
- Simulations of thermo-chemical convection : temperature, phase (post-perovskite) and compositional fields.
- Calculate seismic shear velocity anomalies averaged in the bottom 200 km ...
- ... and CMB heat flux ($\sim dT$).



Choblet et al., submitted to PEPI

Mapping CMB heat flux from seismic velocities

- Determine synthetic relationships (mappings) between seismic velocities and heat flux.



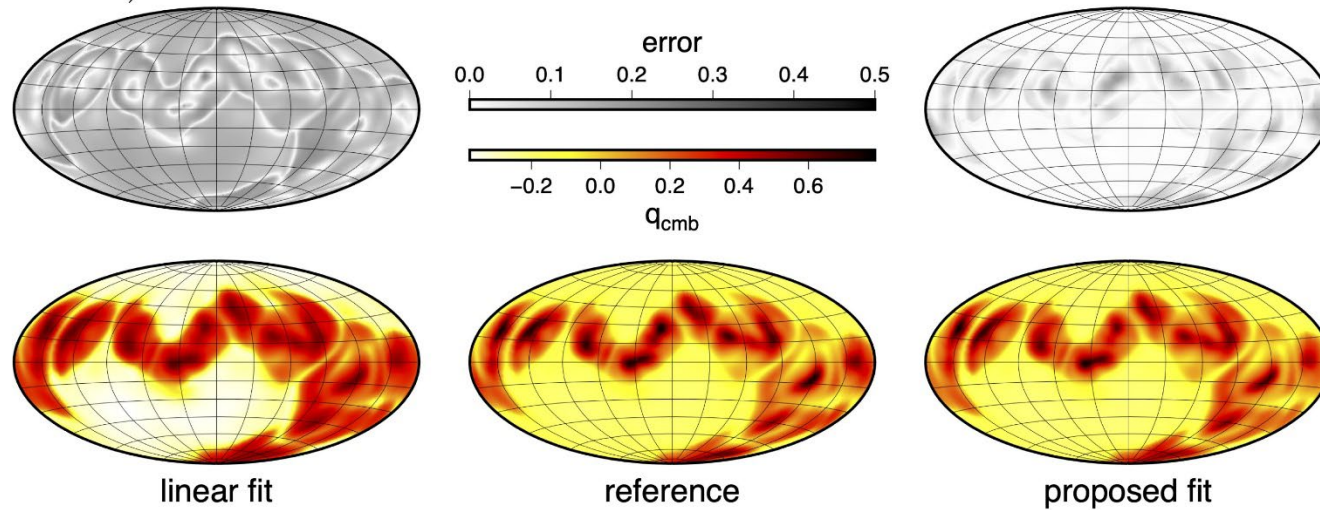
Choblet et al., PEPI, 2023

$$q = \frac{cv_T}{1 - v_T + c}$$

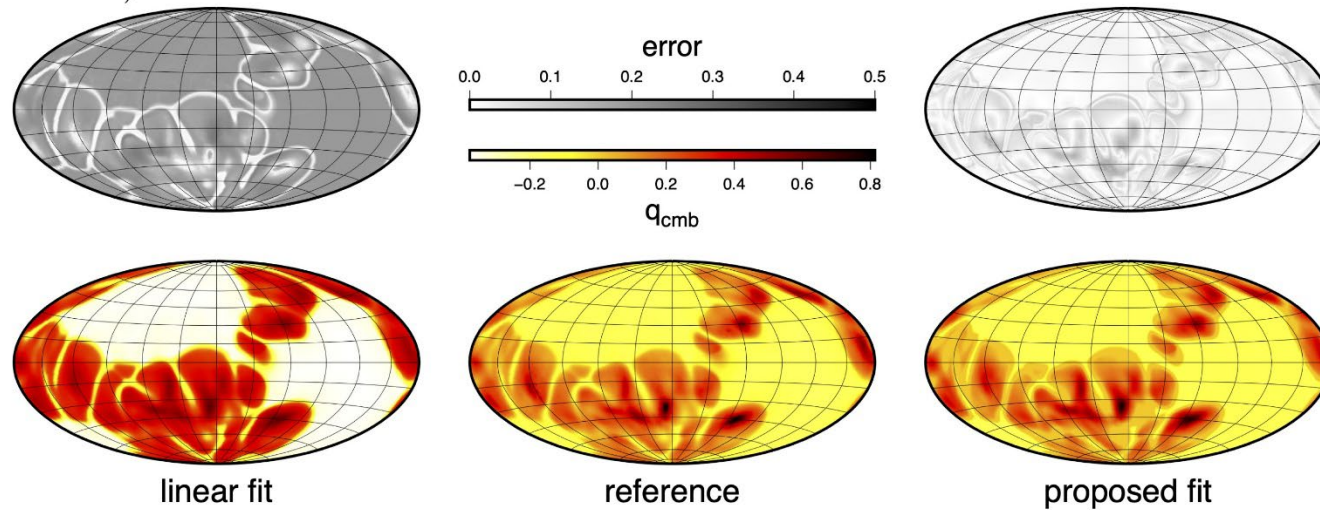
v_T : normalized thermal component of velocity anomaly.

Mapped CMB heat flux

Case A)



Case F)



Tomographic models

GLAD-M35

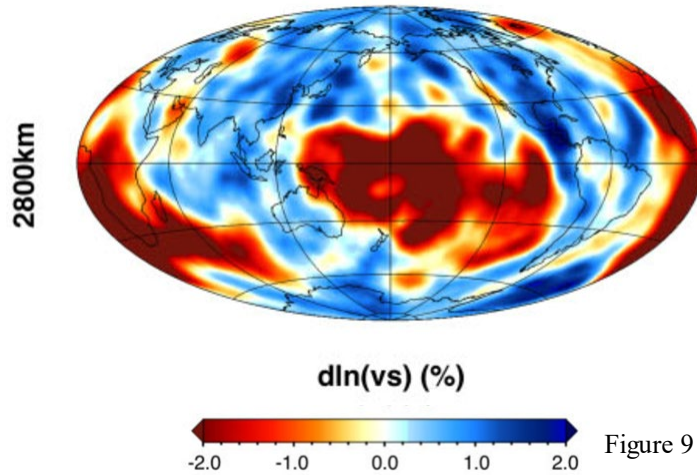
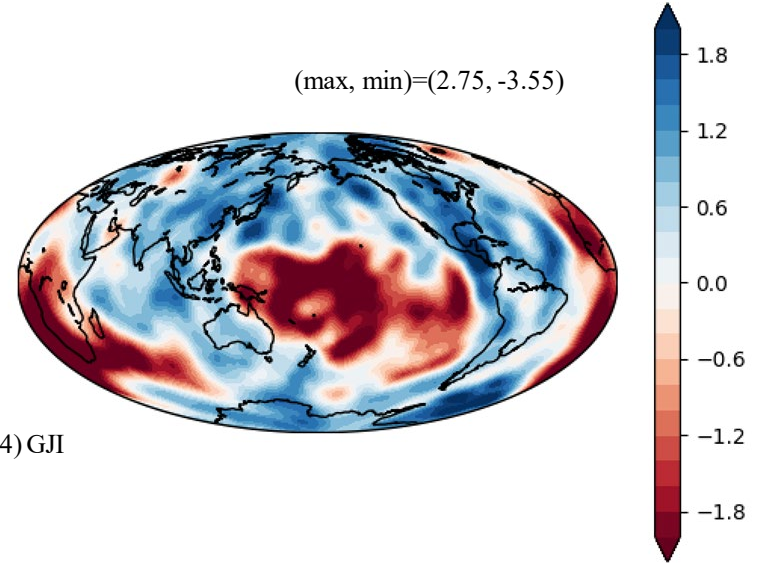


Figure 9 from Cui et al. (2024) GJI

(max, min)=(2.75, -3.55)



-3.4 / +3.9

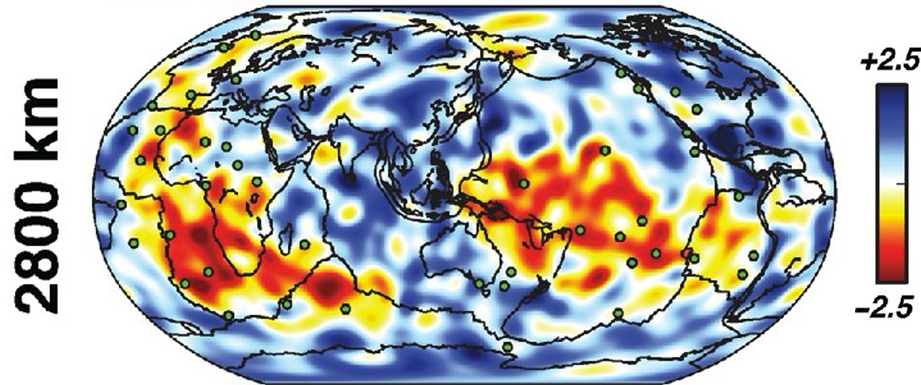
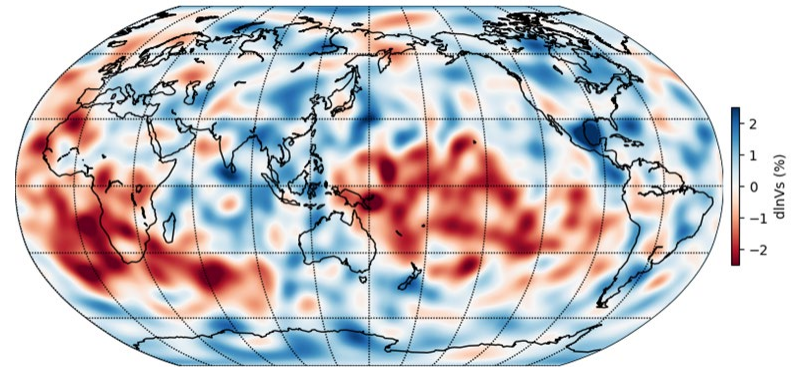
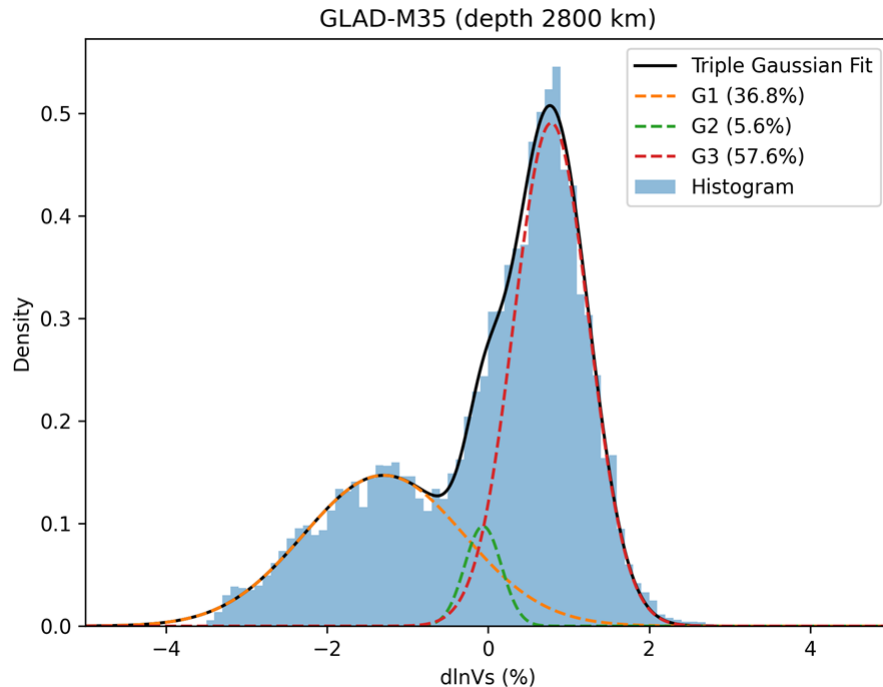


Figure 8 from French & Romanowicz (2014, GJI)



Finding 3 populations in Vs-tomography



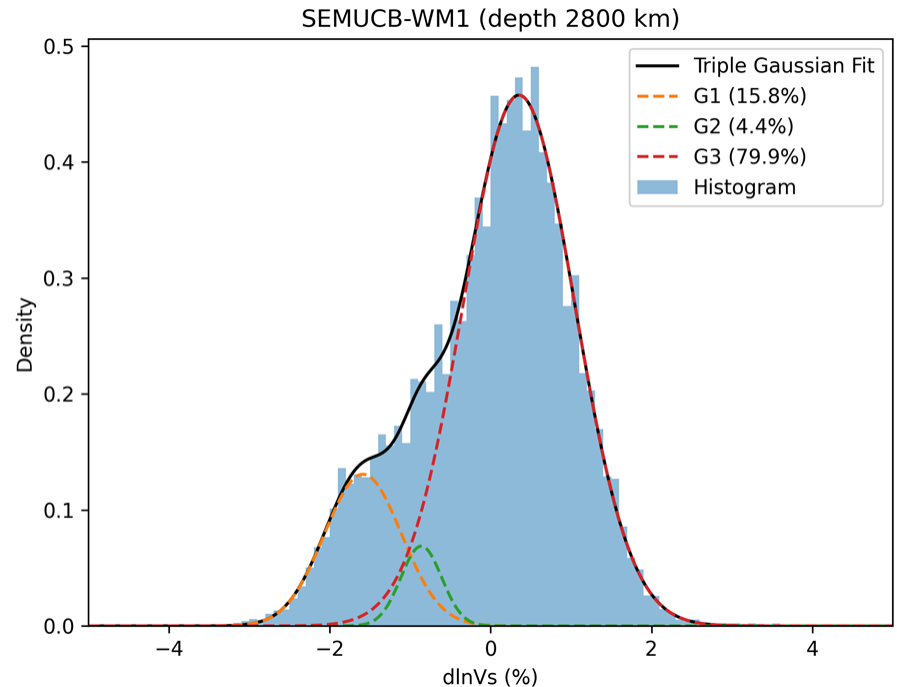
max, min = 2.75%, -3.55%

Fitted Gaussian parameters:

G1: amplitude = 0.15, mean = -1.30, std = 1.00

G2: amplitude = 0.10, mean = -0.06, std = 0.23

G3: amplitude = 0.49, mean = 0.78, std = 0.47



max, min = 3.73%, -3.63%

Fitted Gaussian parameters:

G1: amplitude = 0.13, mean = -1.59, std = 0.48

G2: amplitude = 0.07, mean = -0.86, std = 0.25

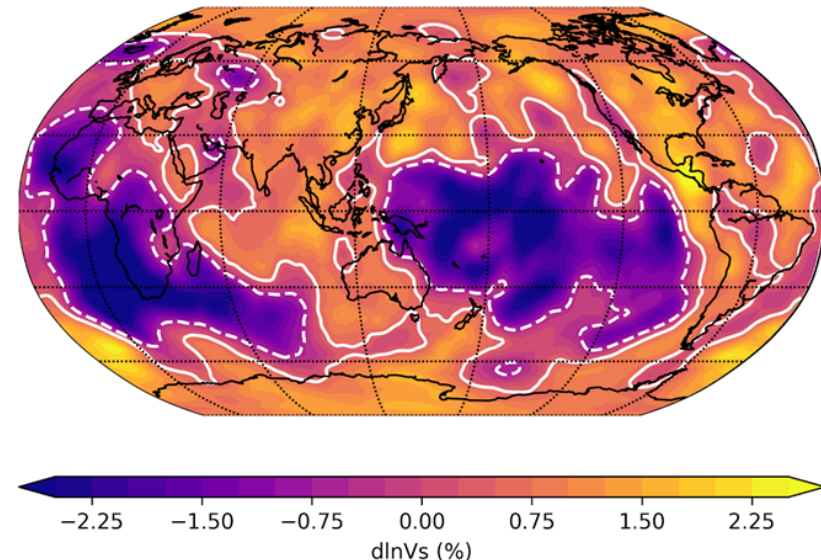
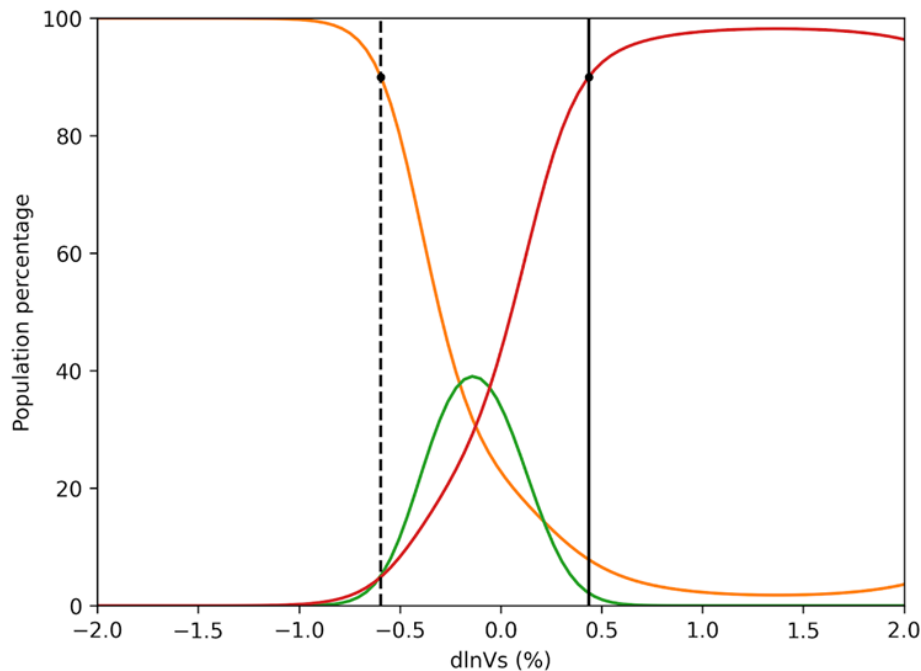
G3: amplitude = 0.46, mean = 0.35, std = 0.69

- Fit Vs frequency histograms with 3 **Gaussian**, representing 3 different populations.
- Boundaries between populations : set at **fractions of standard deviations** in each Gaussian.

Population distribution from GLAD-M35 (alternate)

- Population percentage calculated for each given dlnVs , using the fitted three Gaussian distributions.
- Vertical lines indicate the positions where any of the population percentages equals to 90%.
- Tails at high dlnVs in GLAD-M35 are due to the much slower decay rate of G1 compared to G3. This is an artifact of the method, that we should just ignore.

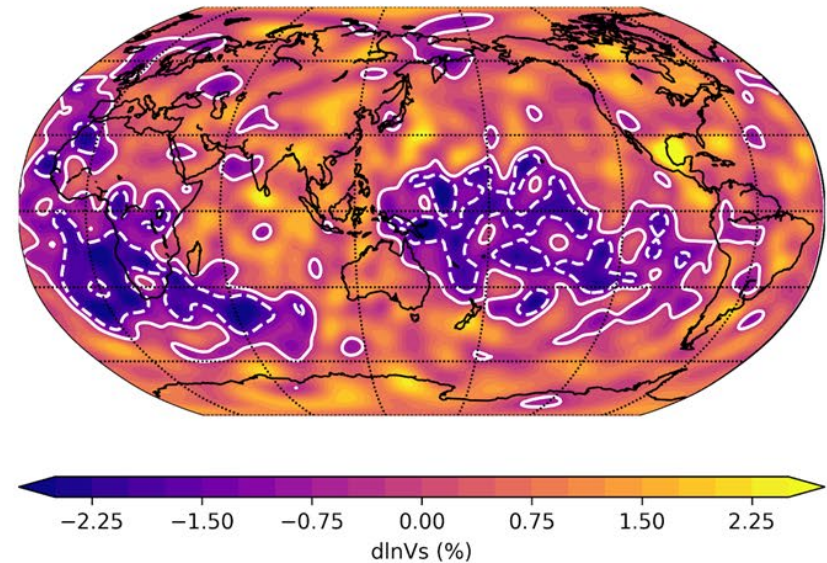
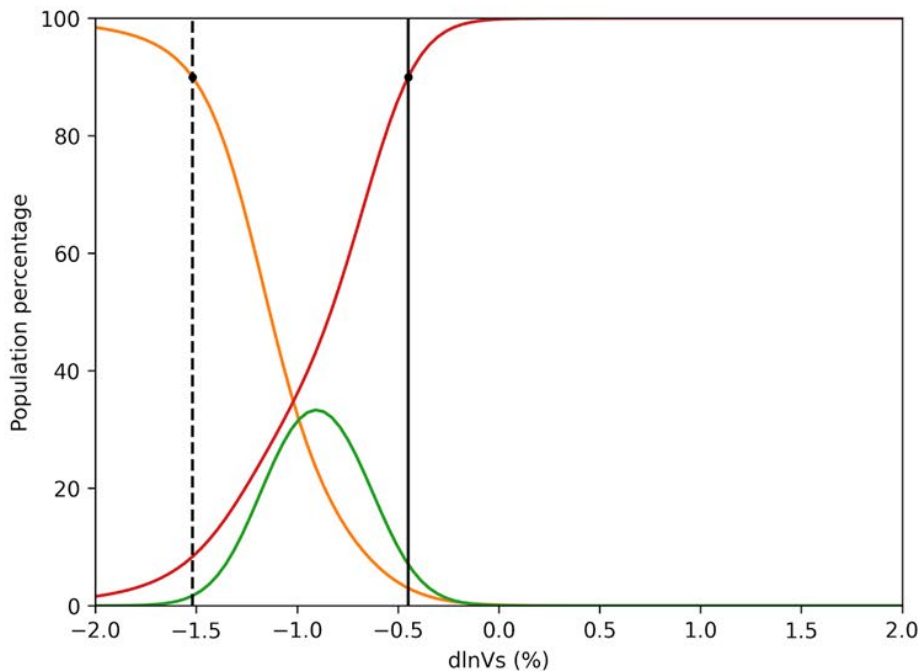
GLAD-M35 (depth 2800 km)



Population distribution from SEMUCB-WM1

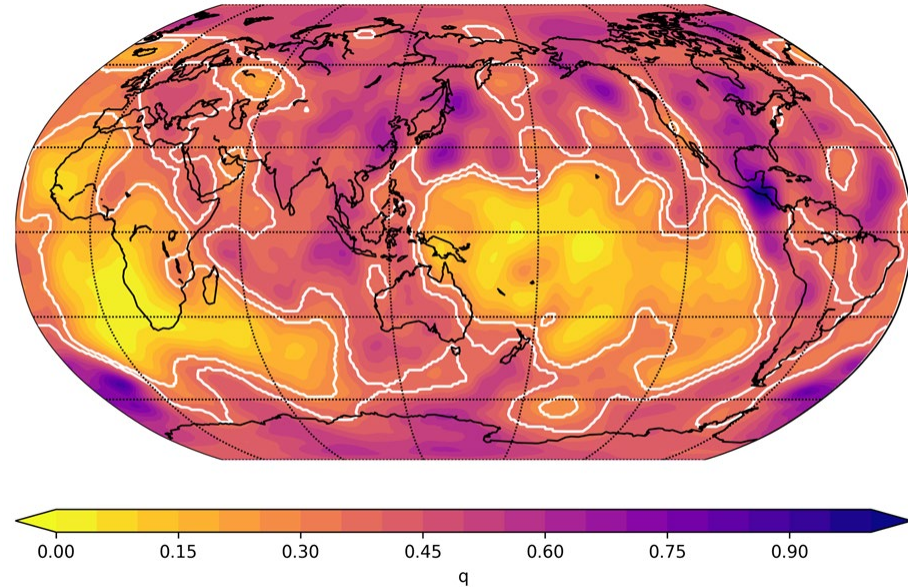
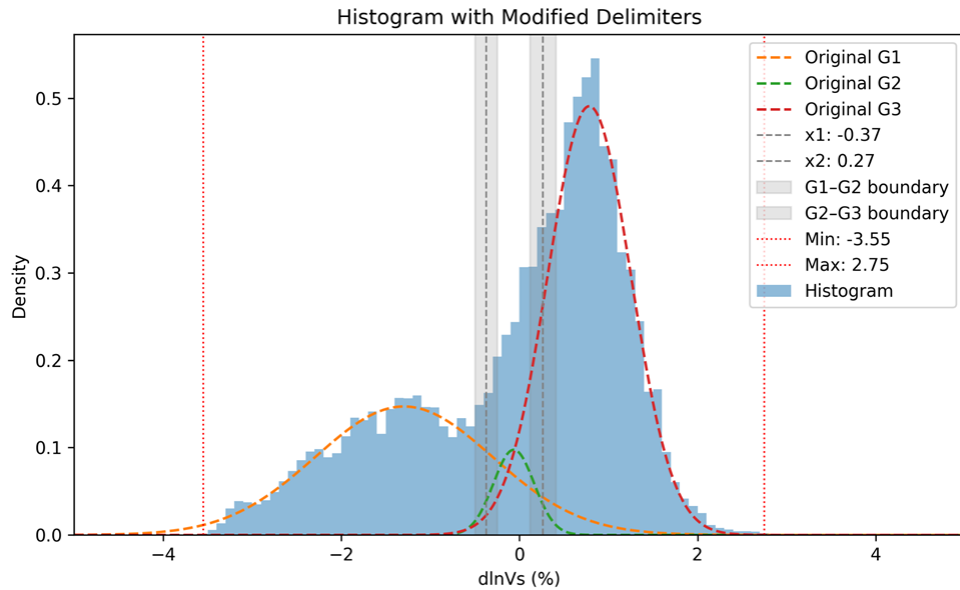
- Population percentage calculated for each given $d\ln V_s$, using the fitted three Gaussian distributions.
- Vertical lines indicate the positions where any of the population percentages equals to 90%.

SEMUCB-WM1 (depth 2800 km)

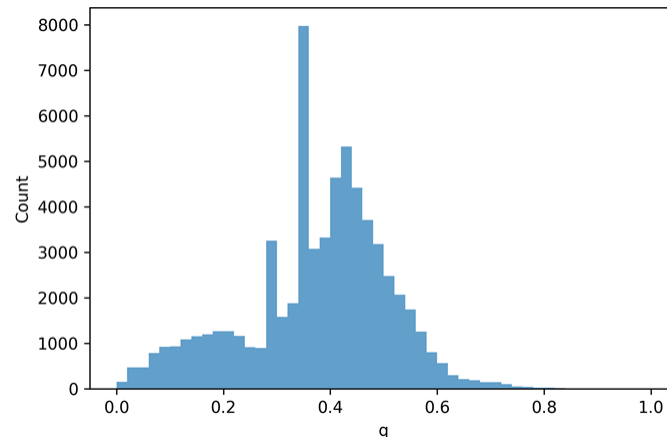
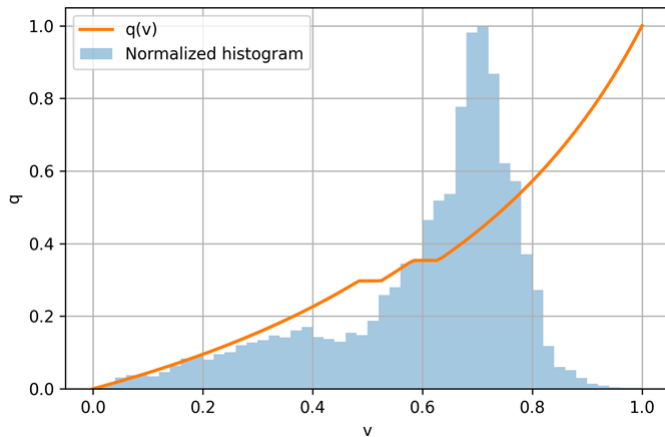


CMB heat flux from GLAD-M35

- Max/min (red dashed lines) are from $\ln V_s$. Boundaries of delimiters are defined as **0.8 standard deviation** from the mean of each group.

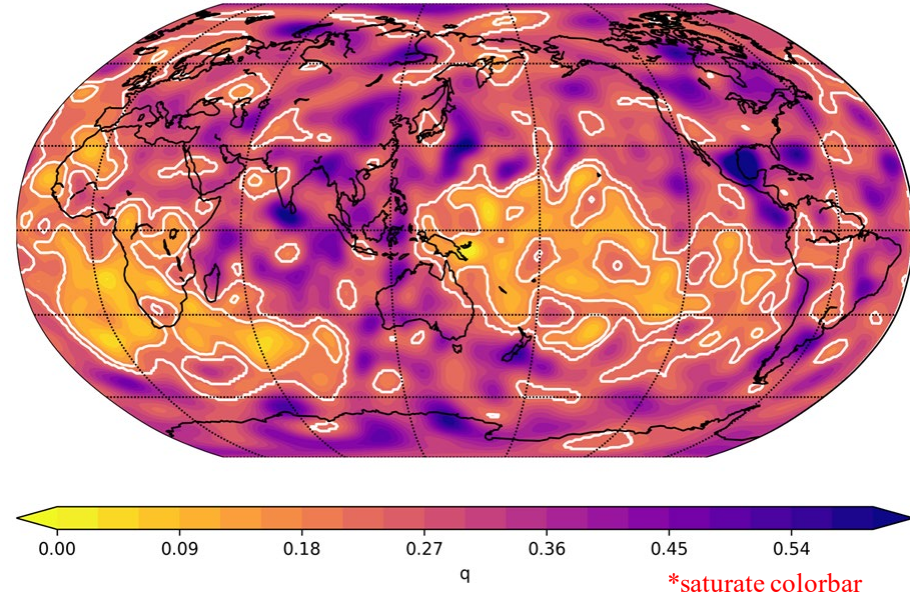
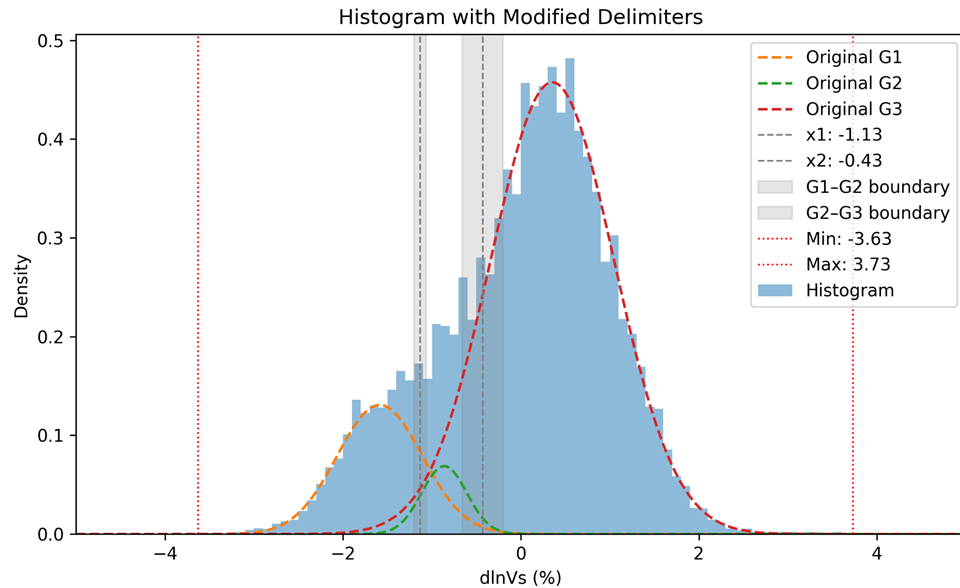


GLAD-M35

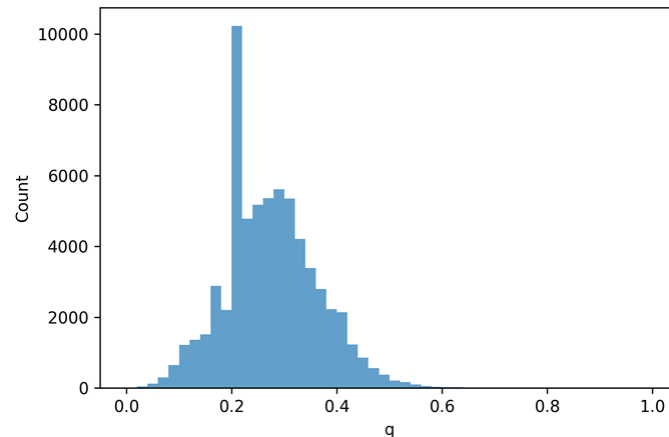
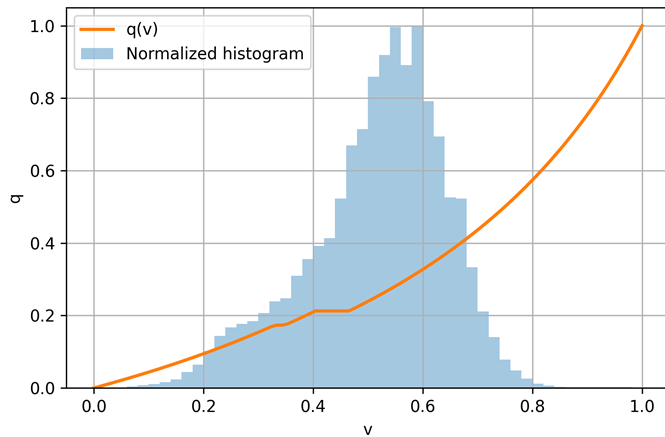


CMB heat flux from SEMUCB-WM1

- Max/min (red dashed lines) are from $\ln V$ s. Boundaries of delimiters are defined as **0.8 standard deviation** from the mean of each group.



SEMUCB-WM1



Mapping CMB heat flux

- ▶ Still in progress, but encouraging:
 - Can distinguish 3 populations from shear-velocity frequency histograms.
 - Conversion to heat flux: saturation issue. Should we use original Q-Vs parameterization or modify it ?